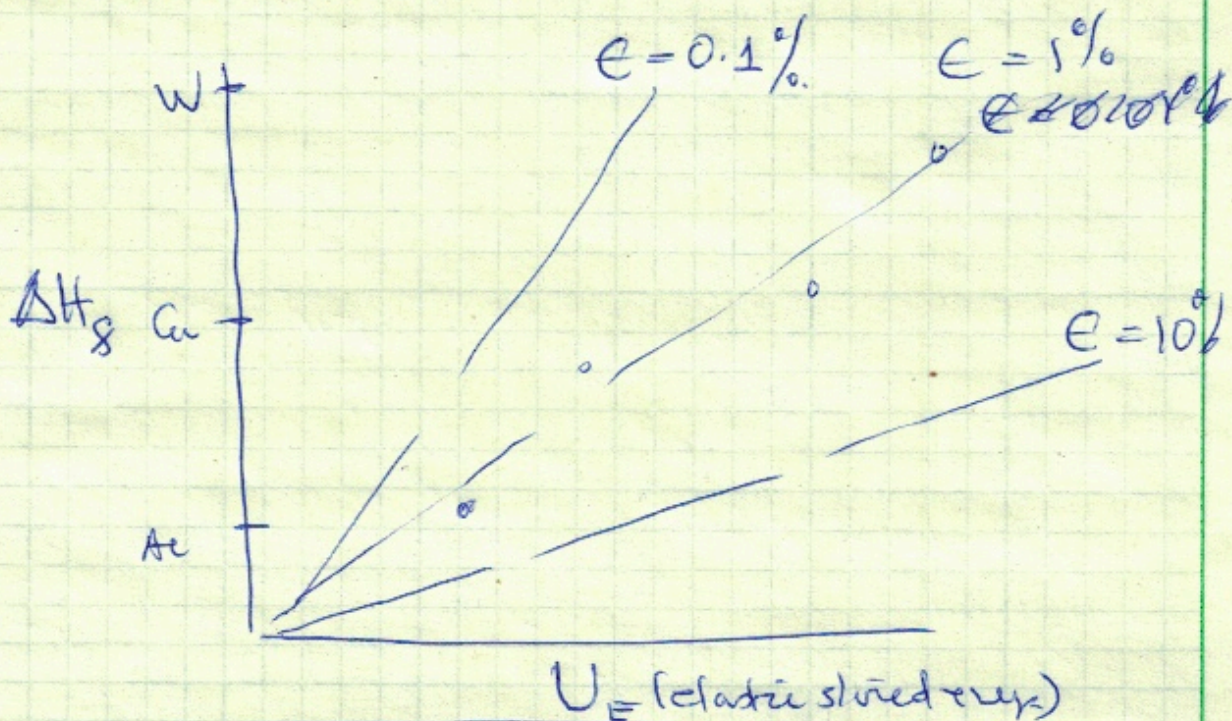


From previous lecture:



THE NATURE THE CHEMICAL BOND



H				F	He
Li				Cl	Ne
Na		C		Br	Ar
		Si			Kr
		Ge			Xe
I	II			VII	VIII
					Full Shells

THE PERIODIC TABLE

LEFT

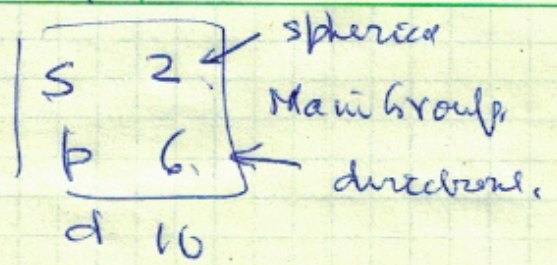
"gives up electrons"

RIGHT

"wants electrons"

Shares Electrons

THE PERIODIC TABLE



Discrete s, p, d. 1s, 2s, 2p, 3s, 3p, 3d.

Probabalistic The physical distribution of ~~also~~ electrons around the nucleus is broad within a band.

~~Carbon~~

<del>Metallic</del>	<del>Al, Au</del>	<del>3e</del>
<del>Covalent</del>	<del>C</del>	<del>4e</del>
<del>Ionic</del>	<del>NaCl</del>	<del>Na<sup>+</sup> e<sup>-</sup> Cl<sup>-</sup></del>

~~Metal~~ → "free electrons" shared globally, Weak

~~Covalent~~ → shared locally, Strong

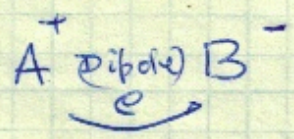
~~Ionic~~ → transferred to create electrostatic bonds  
→ Madelung's law

Metallic → "free" electrons that are shared globally.

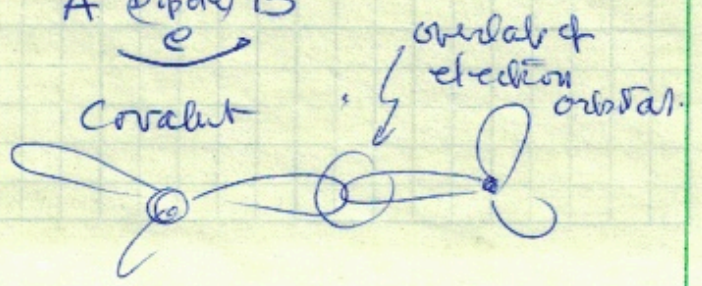
Ionic/Covalent

Often bonds are partially ionic/covalent

Ionic



Covalent



7/3 HWMS (3)

# BONDING - STRUCTURE

Isotropic bonds

ideal metallic

ideal ~~ionic~~ ionic.

Maximize nearest neighbors # bonds per unit vol

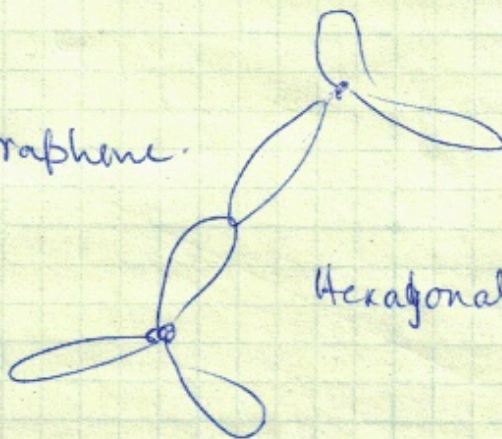
12 nearest neighbors.

$$Z = 12$$

Fcc.

High Directional

graphene.



Hexagonal structure.

Offen

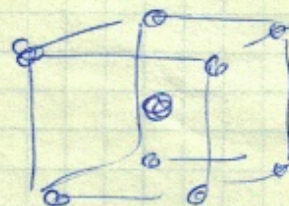
Bonds are mixed.

Metallic + covalent  $\rightarrow$  Fe

8 NN

$$Z = 8$$

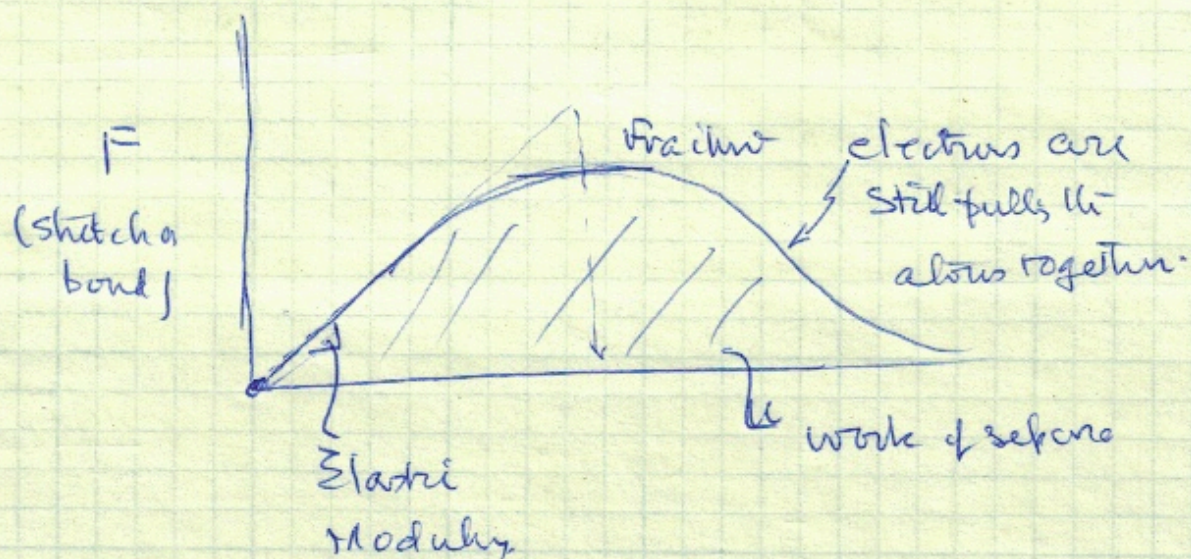
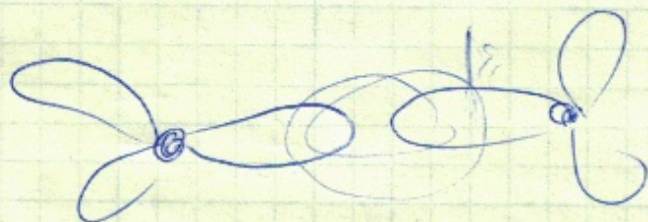
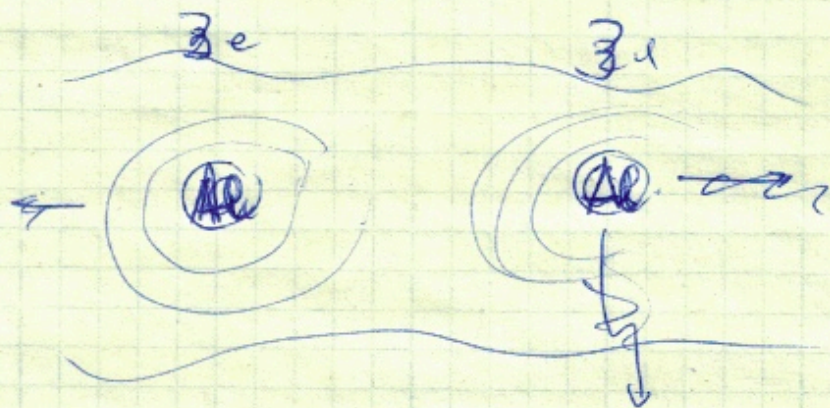
B.C.C. structure.



ionic + covalent

electronegativity series

The world of electrons is probabilistic.



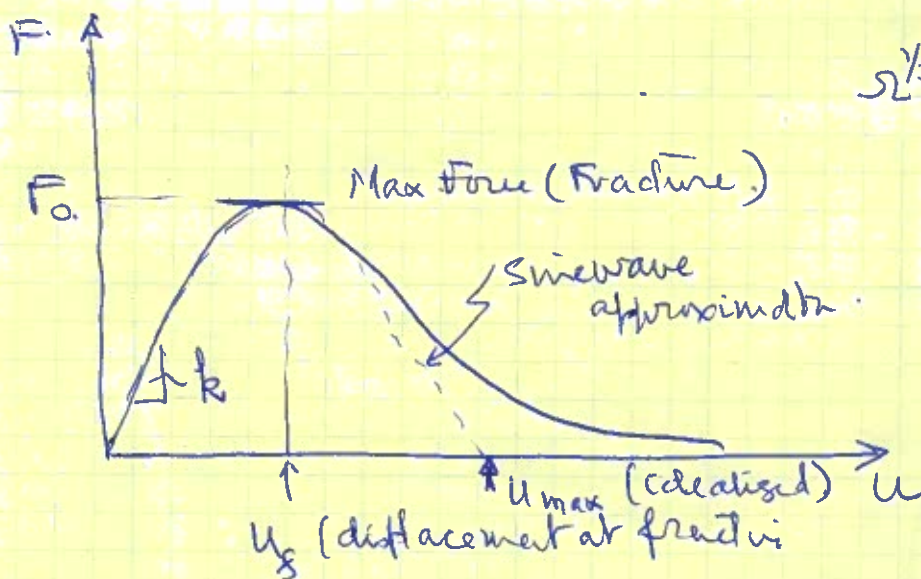
Model. Assume a simple structure

Simple cubic



Structure parameters:  
 $a$ ,  $Z = a^3$   
 $Z$

Derivation for the Relationship Between the Heat of Evaporation ( $\Delta H_v$  J/mol) and the Young's Modulus ( $E$ , Pa) and its application to Coffee.



Features of the curve:

(i) Initial slope corresponds to the spring constant

$$k = \left( \frac{dF}{du} \right)_{u \rightarrow 0}$$

(ii) Fracture occurs the  $F = F_0$  &  $u = u_g$ .  
tensile strain at fracture

$$\epsilon_g = \frac{u_g}{l/3}$$

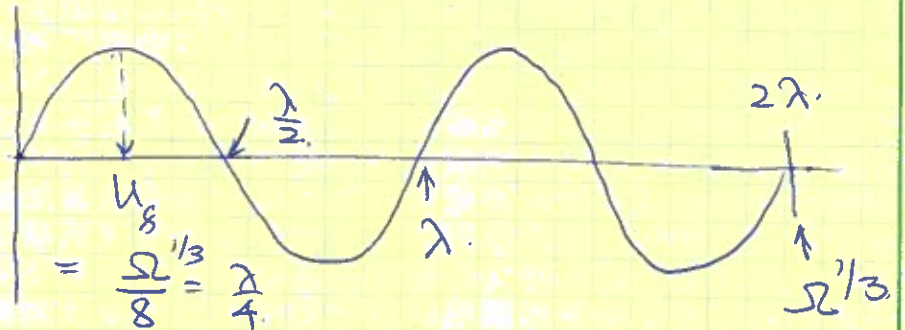
(iii) Area under the curve. i.e.

$$\int_0^{u_{max}} F du$$

is equal to the work done to break the bond. It is the "energy" of the bond =  $W_B$

(IV). Assumptions:(a) Approximate the curve by a half sine-wave of wave length  $\lambda$ .

(b) 
$$F = F_0 \sin \frac{2\pi u}{\lambda} \quad \text{--- (1)}$$



Since  $\frac{u_8}{\Omega^{1/3}} = \epsilon_8 = 12.5\%$  (from experiments with perfect specimens)

$$u_8 = \frac{1}{8} \Omega^{1/3}$$

$$\therefore \lambda = \frac{\Omega^{1/3}}{2} \quad \text{--- (2)}$$

Let us now calculate  $W_B$

$$W_B = \int_0^{\lambda/2} F_0 \sin \frac{2\pi u}{\lambda} du$$

$$= F_0 \frac{\lambda}{2\pi} \left[ -\cos \frac{2\pi u}{\lambda} \right]_0^{\lambda/2}$$

$$= \left( F_0 \frac{\lambda}{2\pi} \right) (-1) \left( \cos \frac{\lambda}{2} \pi - \cos(0) \right)$$

$$W_B = F_0 \frac{\lambda}{2\pi} \times 2 = \frac{\lambda F_0}{\pi} \quad \text{--- (3)}$$

Note units are energy (Joules) on both sides.

To obtain  $F_0$  equate the initial slope =  $k$ , the spring constant.

$$\left( \frac{dF}{du} \right)_{u \rightarrow 0} = \frac{2\pi \cdot F_0}{\lambda} \left[ \cos \frac{2\pi u}{\lambda} \right]_{u \rightarrow 0} = k$$

$$k = \frac{2\pi}{\lambda} \times F_0$$

$$F_0 = \frac{\lambda k}{2\pi} \quad \text{--- (4)}$$

(3) + (4)  $\rightarrow$

$$W_B = \frac{\lambda}{\pi} \times \frac{\lambda k}{2\pi}$$

$$E = \frac{k}{\Omega^{1/3}}$$

$$\lambda = \frac{\Omega^{1/3}}{2}$$

combine

$$W_B = \frac{\lambda^2}{2\pi^2} \times E \Omega^{1/3} = \frac{\Omega^{2/3}}{8\pi^2} \cdot E \Omega^{1/3} = \frac{E \Omega}{8\pi^2} \quad \text{--- (5)}$$

Note units match since  $E$  has units of energy per unit volume.

## Accounting for the coordination number $Z$

$Z$  is the number of nearest neighbours

$$E_Z = \frac{Z E}{6} \quad \text{--- (6)}$$

↑  
modulus with  
correct  $NV$

(5) + (6)

$$W_B = \frac{\Omega}{8\pi^2} \times \frac{6 E_Z}{Z} \quad \text{--- (8)}$$

## Relates $W_B$ to the heat of Evaporation

$$\Delta H_V = W_B \left( \frac{\# \text{ Bonds}}{Z} \right)$$

(per atom)

↑  
because one half of  
the bond energy is left  
behind.

$$= \frac{Z W_B}{2}$$

$$\Delta H_V = \frac{Z}{2} \times \frac{\Omega}{8\pi^2} \times \frac{6 E_Z}{Z}$$

$$E_Z = \frac{\Delta H_V \times 8\pi^2}{\Omega \cdot 3} \quad \text{--- (*)}$$



Mech Prop

Jan 24. 2018

Calculate Omega for copper

At wt                    63.5 g/mol  
 Density                8.93 g/cm<sup>3</sup>  
 Vol/mol                7.11 cm<sup>3</sup>  
 Avogadro              6.03E+23 atom/mol  
 Omega                  1.18E-23 cm<sup>3</sup>  
                           1.18E-29 m<sup>3</sup>  
 Interatom spac      2.28E-10 m  
 Omega^(1/3)            0.23 nm

COPPER (use heat of evaporation)

Calculation of the Elastic Modulus

Del\_HV                    338 kJ/mol  
 DeL\_HV/atom            5.61E-22 kJ/atom  
                           5.61E-19 J/atom  
 Omega                    1.18E-29 m<sup>3</sup>

$$E_z = \frac{8\pi^2 \Delta H_v}{3 \Omega}$$

DEL\_H\_V per atom

E\_z                        1.25E+12 Pa                    1249 GPa

COPPER (use heat of melting)

Calculation of the Elastic Modulus

Del\_H\_fusion            13.2 kJ/mol  
 DeL\_H\_fus/atom        2.19E-23 kJ/atom  
                           2.19E-20 J/atom  
 Omega                    1.18E-29 m<sup>3</sup>

E\_z                        4.88E+10 Pa                    49 GPa

Experiment              117 GPa